











	Simplex Algorit	hm		
	Let us consider th	e following LPP		
	Maximize subject to	$Z = 4x_1 - x_2 + 2x_3$ $2x_1 + x_2 + 2x_3 \le 6$ $x_1 - 4x_2 + 2x_3 \le 0$ $5x_1 - 2x_2 - 2x_3 \le 4$ $x_1, x_2, x_3 \ge 0$		
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Simplex Alg	orithm c	ontd.
LPP is transf	ormed to its sta	ndard form
Maximize	$-4x_1 + x_2 - 2x_3$	+Z = 0
subject to	$2x_1 + x_2 + 2x_3 +$	$-x_4 = 6$
	$x_1 - 4x_2 + 2x_3 +$	$-x_{5} = 0$
	$5x_1 - 2x_2 - 2x_3$	$+ x_6 = 4$
	$x_1, x_2, x_3, x_4, x_5, \dots$	$x_6 \ge 0$
Note that x_4, x_5	and x_6 are slack v	variables
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	Simplex Algorithm contd.							
	Symbolized form (for ease of discussion)							
	$(Z) c_1 x_1 + c_2 x_2 + c_3 x_3 + c_4 x_4 + c_5 x_5 + c_6 x_6$	+Z = b						
	(x_4) $c_{41}x_1 + c_{42}x_2 + c_{43}x_3 + c_{44}x_4 + c_{45}x_5 + c_{46}x_6$	$= b_4$						
	$(x_5) c_{51}x_1 + c_{52}x_2 + c_{53}x_3 + c_{54}x_4 + c_{55}x_5 + c_{56}x_6$	$=b_{s}$						
	$(x_6) c_{61}x_1 + c_{62}x_2 + c_{63}x_3 + c_{64}x_4 + c_{65}x_5 + c_{66}x_6$	$= b_{6}$						
	• The left-most column is known as <i>basis</i> as this is consisting of basic variables							
	• The coefficients in the first row (C ₁ ,,C) are known as <i>cost coefficients</i> .							
	Other subscript notations are self explanatory D Nagesh Kumar, IISc LP_3: Simplex Met	hod-l						
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Co exa	nstruction of Simplex Tableau: ample
Cor Car	sider the same problem discussed before. ionical form of this LPP is
	$-4x_1 + x_2 - 2x_3 + 0x_4 + 0x_5 + 0x_6 + Z = 0$ $2x_1 + x_2 + 2x_3 + 1x_4 + 0x_5 + 0x_6 = 6$
	$x_1 - 4x_2 + 2x_3 + 0x_4 + 1x_5 + 0x_6 = 0$ $5x_1 - 2x_2 - 2x_3 + 0x_4 + 0x_5 + 1x_6 = 4$

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Corresponding	simple	x table	au					
V		Variables				- 22		
Iteration Basia	Z.	\mathcal{X}_{1}	Ni	35	X_{i}	35	s_{i}	<u>8</u>
	1		4	-2	.0	0	0	0
	0	2	1	2	1	0	0	6
	0	1	-4	2	0	1	0	0
	:0		-2	-2	0	0	1	4



















